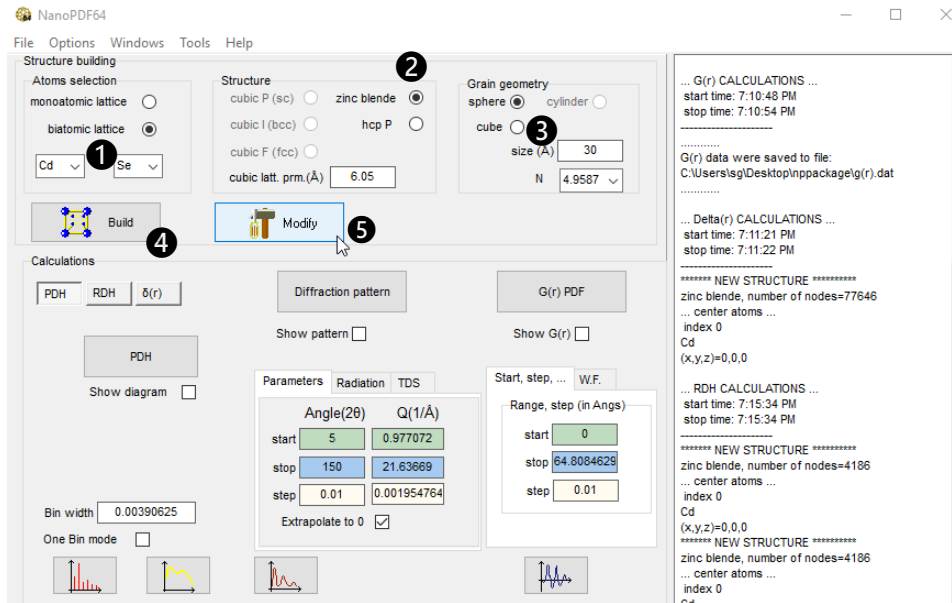


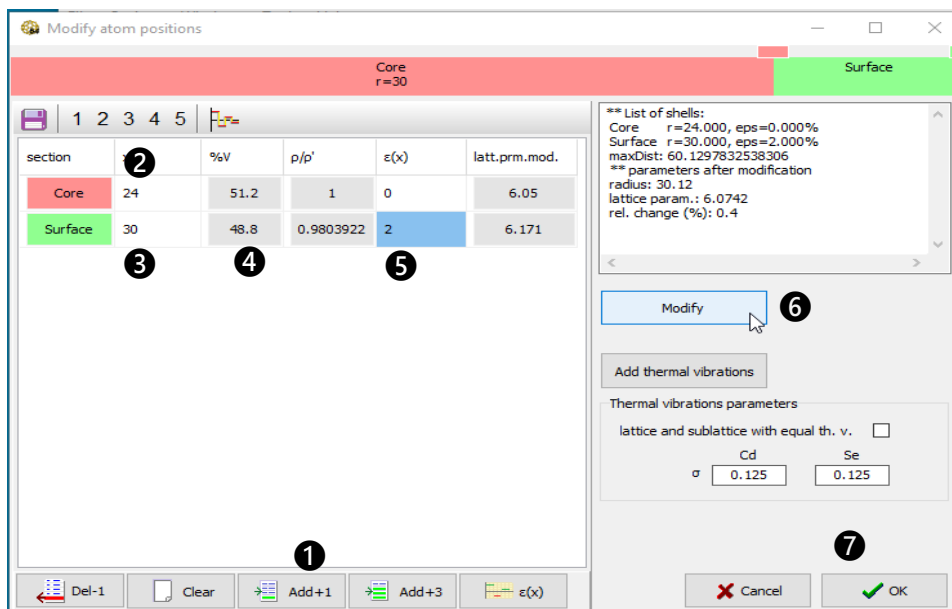
Automated fitting of $G(r)$ in multiple finite size ranges

Example2

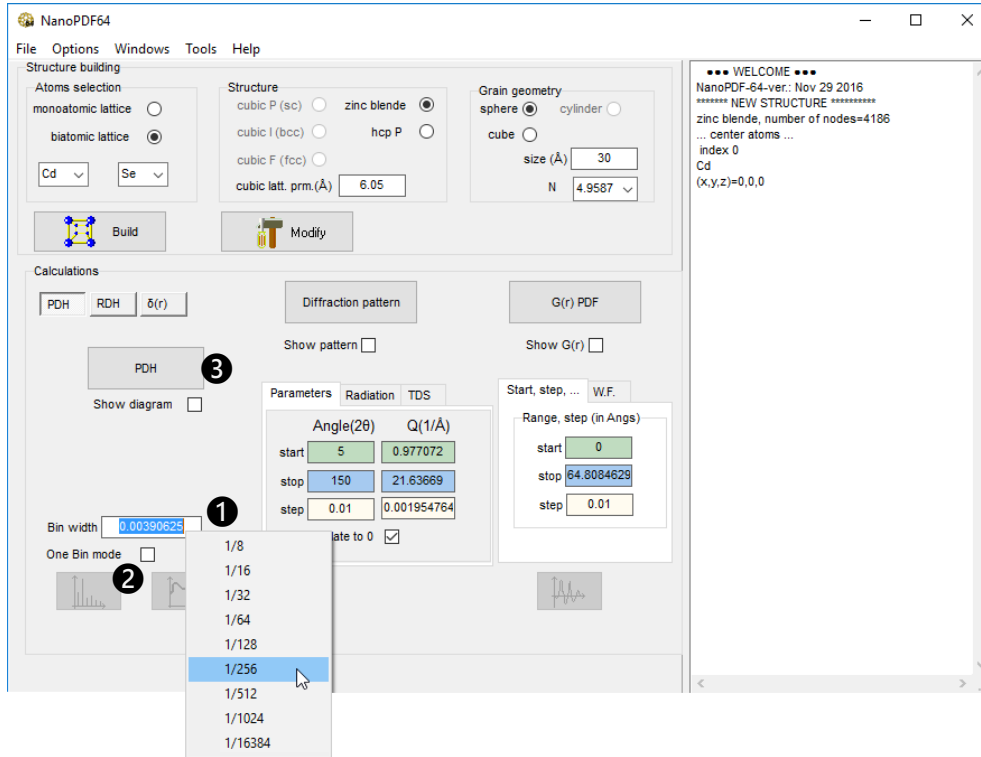
Building a core-shell model and analyzing it's $G(r)$



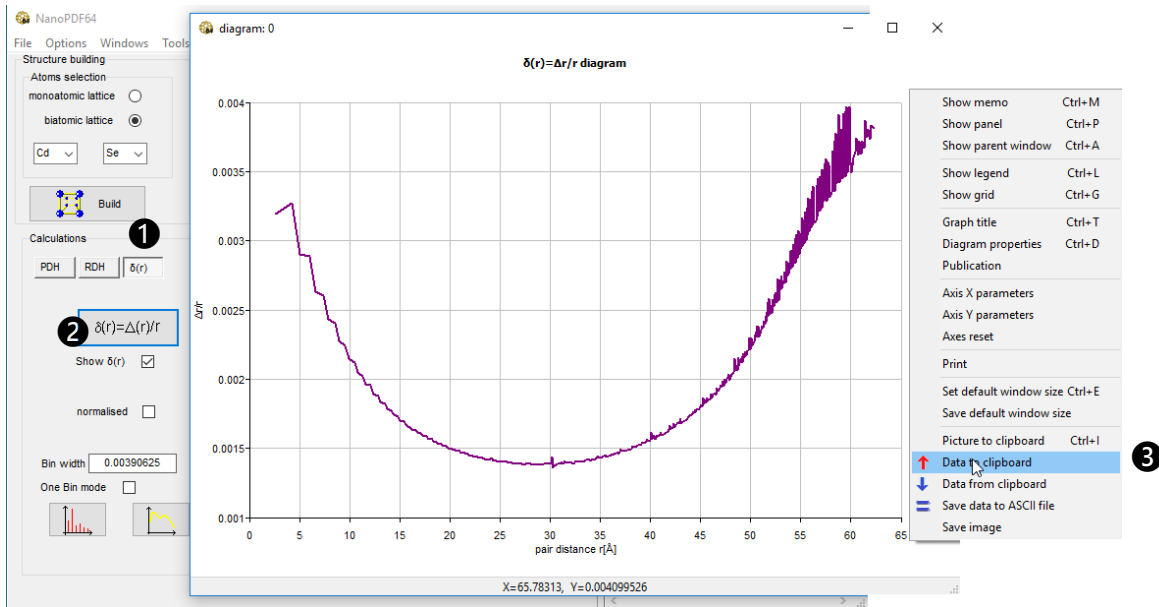
Begin with building a CdSe nanocrystal. Set “biatomic lattice” and select Cd and Se **1** from the drop lists. Set “zinc blende” **2** structure and sphere of 30Å radius **3**. Now “Build” **4** and go to “Modify” **5**. Until now we’ve had a nanocrystal with perfectly periodic lattice. We are going to split it into core and shell having slightly different lattice parameters.



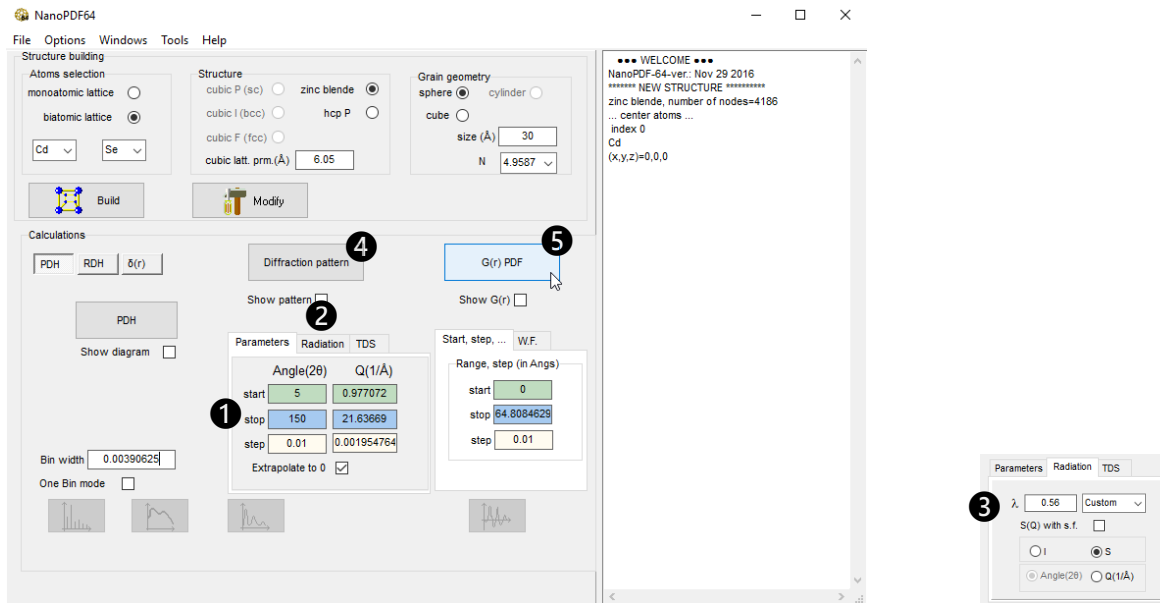
Click at Add+1 **1** set core to have 24Å radius **2**. The shell is up to the max. radius of the model **3**. Now core and shell have approximately equal volumes **4**. We expand the crystal lattice of the shell by 2% **5**, then click on Modify **6** and finally on OK **7**.



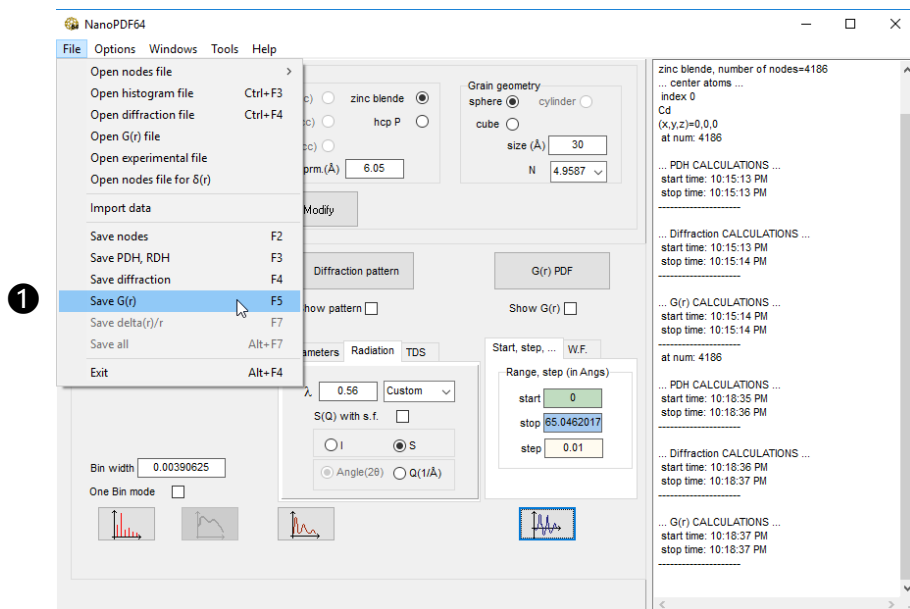
Now we are going to compute Pair Distribution Histogram. Right click on “Bin width” box ① to get a list of pre-defined numbers. Using “binary” values speeds up calculations and gives better accuracy when computing G(r). Select 1/256 and clear “One bin mode” ②. This also improves accuracy of G(r). Finally do the PDH calculation ③.



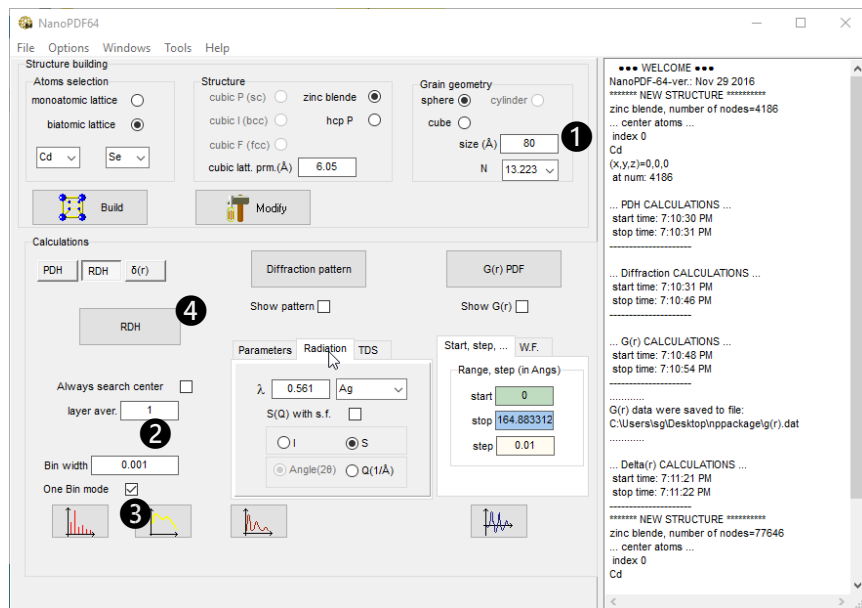
Now we may compare interatomic distances in the “perfect lattice” model – it is still in memory - with those in the core-shell model we have just built. Select the $\delta(r)$ tab ① and do the calculation ②. The diagram shows theoretical i.e. expected $\Delta(r)/r$ curve. Right click on the diagram and save the data to the Clipboard ③. We are going to use them later on.



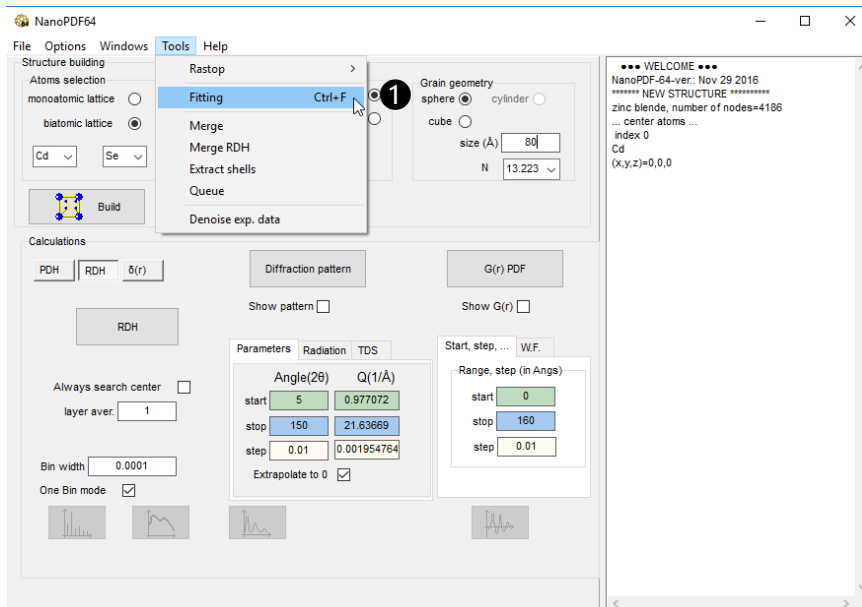
It's time to compute $G(r)$. Start with diffraction pattern. Set start, stop and step **1**. Step in diffraction pattern affects the accuracy of the Fourier transform that will be done in a moment, so set it to 0.01 or less. Go to Radiation tab **2** and select Ag radiation **3** or set it manually to something even smaller. Do the diffraction calculation **4**. Then compute $G(r)$ **5**.



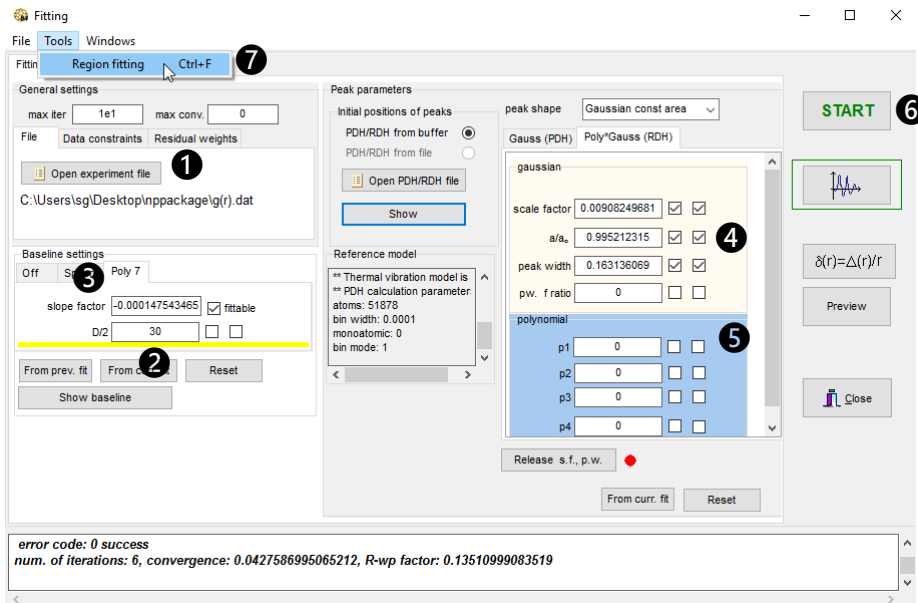
We have just calculated $G(r)$ for the core-shell model. Save it to a file **1**. In the "Save As" window which appears select "Syntetic (*.dat)" format, not the "*.gr" format which is the default.



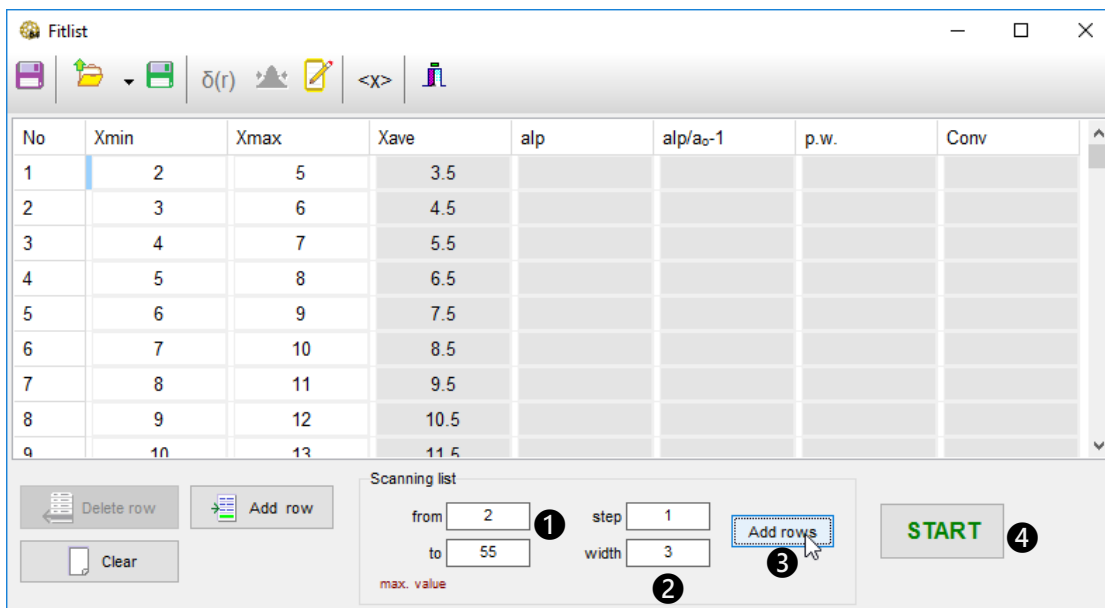
Get ready for fitting. Set radius to more than twice of the radius of the model we are going to analyze ①. 70 or 80 is a good choice. Set Bin width to 0.001 ② and activate One bin mode ③. Calculate RDH ④.



Go to Tools → Fitting ①



Open **1** the $G(r)$ you calculated a moment before for the core-shell model.
 Set $D/2$ to 30 **2** and make it not fittable. Make Slope factor **3**, scale factor, a/a_0 and peak width **4** fittable. Set to 0 and deactivate all other parameters **5**.
 Run a fit **6** to get some starting parameters than go to Tools→Region fitting **7**.

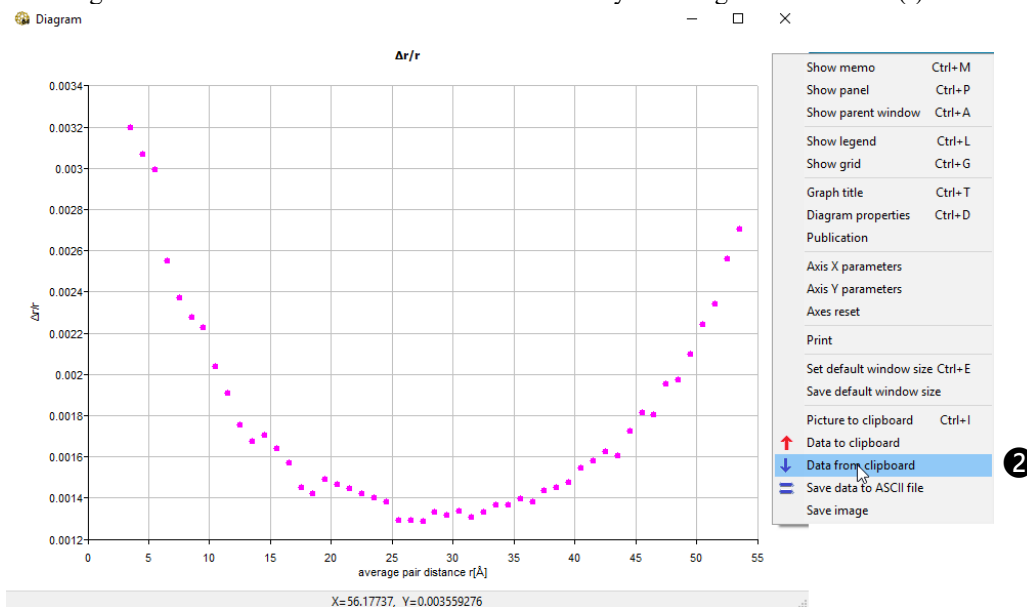


In the Fitlist window select “from 2 to 55” **1**. The model is 60 in diameter, but we don't want to go to where the peaks are very weak. Set “step 1 and width 3” **2**, click on Add rows **3** than Start fitting **4**.

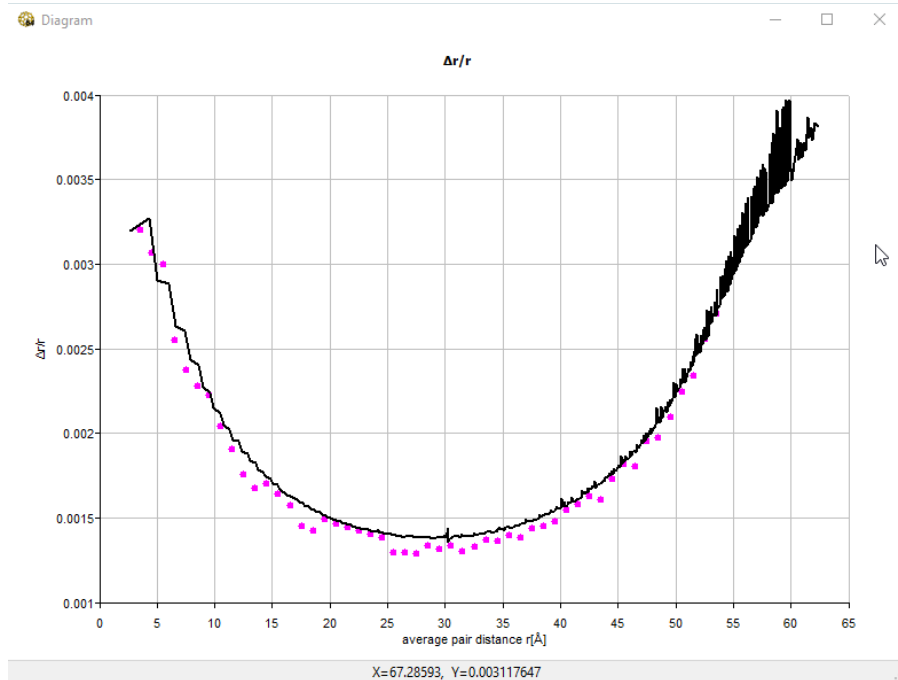
Once the fitting is finished, and the list is filled with numbers click on “ $\delta(r)$ ” ❶ button.

No	Xmin	Xmax	Xave	alp	alp/a ₀ -1	p.w.	Conv
44	45	48	46.5	6.02557E+0	-4.0382E-3	1.5605E-1	7.1113E-3
45	46	49	47.5	6.02732E+0	-3.7486E-3	1.4869E-1	7.0919E-3
46	47	50	48.5	6.02989E+0	-3.3245E-3	1.5069E-1	3.7335E-3
47	48	51	49.5	6.02961E+0	-3.3703E-3	1.5392E-1	2.3808E-3
48	49	52	50.5	6.03186E+0	-2.9980E-3	1.5652E-1	2.2978E-3
49	50	53	51.5	6.03403E+0	-2.6391E-3	1.4292E-1	1.4607E-3
50	51	54	52.5	6.03564E+0	-2.3741E-3	1.4780E-1	9.9957E-4
51	52	55	53.5	6.03636E+0	-2.2545E-3	1.4766E-1	8.6896E-4

We now see the $\Delta r/r$ diagram for the core-shell model. It is determined by scanning of calculated $G(r)$.



We may now compare it to the theoretical curve we calculated earlier and saved to Clipboard. Right click on the diagram and select “Data from clipboard” ❷



The diagram now shows nearly perfect match between the “theoretical” data obtained by comparing atomistic models and the “measured” data obtained from $G(r)$.

One may apply the procedure of “scanning” of $G(r)$ to the true **experimental** $G(r)$. Should the obtained $\delta(r)$ curve appear flat, the lattice of the analyzed nanoparticles could be considered perfectly periodic. But most likely the experimental $\delta(r)$ will not be flat. That will be the evidence of non uniform structure of the crystal lattice of the measured nanoparticles. Using NanoPDF64 one may build core-shell models with multiple shells and various lattice deformations inside the shells, calculate theoretical $\delta(r)$ -s and compare those to experimental $\delta(r)$ data.